EASTERN MEDITERRANEAN UNIVERSITY COURSE OUTLINE

COURSE CODE		MATH106	COURSE LEVEL	Undergraduate SPRING 2018-2019
		Linear Algebra		
COURSE TYPE				
LECTURER(S)		Groups	Instructors	Assistants
		01	Dr. Fatma Rizaner	Res. Asst. Sedef Emin
			fatma bayramoqlu@emu edu tr	omice : AS149, Tel : 2194
			latina.bayranogiu@eniu.edu.ti	<u>sedenenin en d. edu.u</u>
		02	Dr. Neset Deniz Turgay	Res. Asst. Gizem Baran
			Office : AS325, Tel : 2412	Office : AS149, Tel : 2194
			neset.turgay@emu.edu.tr	gizem.baran@emu.edu.tr
		03	Dr. Sinem Unul Babagil	Res. Asst. Sedet Emin
			sinem unul@emu.edu.tr	sedef emin@emu edu tr
CREDIT VALUE		(3 1) 3	ECTS VALUE	6
PREREQUISITES		None		
CORECULISITES				
	F	One semester		
WEB LINK	L http://k			
	<u>nttp://t</u>	oranms.emu.e	du.tr/fbayramoglu	
CATALOGUE DESCRIPTIC	DN .			
matrices; Determinants: adj matrix representations, cha characteristic polynomials, D AIMS & OBJECTIVES	oint and inverse matrice anges of bases; Inner Diagonalization.	es, Cramer's rule. V product spaces: C	ector spaces: linear independence, t Cauchy-Schwarz inequality, Gram-So	basis and dimension, Euclidean spaces. Linear mappings: chmidt orthogonalization; Eigenvalues and eigenvectors:
The main aim or applications in s and some other image of linear	f this course is to provid solving linear systems. related concepts as well transformations problem	de students with an It also provides an l as applications of ns.	introductory yet comprehensive over opportunity to see basic concepts of earlier methods for solving linear sys	rview of matrices, operations with matrices and their linear algebra like linear spaces, linear transformations stems to basis and dimension problems and kernel and
GENERAL LEARNING On successful completion • Matrices, matrix of • Linear systems an • Basic concepts of • Angle and orthog	G OUTCOMES (COM on of this course, all s operations and related co id various methods for s I Linear Algebra such as onality in inner product	MPETENCES) students will have oncepts and probler solving the linear sy s vector spaces, sub- spaces, orthogonal	e developed knowledge and unde ns; /stems; spaces, linear mappings, linear indep basis and Gram-Schmidt Process.	rstanding of: endence and basis and dimension.
 Manipulating m Understanding a Improving their On successful completion the issues of: Mathematical th Critical thinking 	atrices and matrix opera algorithms as a tool to an critical thinking in mak on of this course, all hinking	ations, solving linea nswer mathematica king definitions and students will hav	r systems l problems. showing their logic connections. Un we developed their appreciation	derstanding Linear Algebra as a tool of modelling. of and respect for values and attitudes regarding
 Communication 	with other peoples.			
	r-prov			
	A.95_100 A .00 C	8/1		
A (avcallant)	A:03-100 , A-: 80-8 Excellent understand	ling of the concerts	and the principles as demonstrated h	w correct and accurate knowledge and application of
(CAUCHCHIII)	theory/laws in solvin	or problems Response	and the principles as demonstrated to	rise and accurate Excellent performance
R	B+: 75-79 B-70-74	B-: 66-69	to problems is clear, legible, com	and accurate. Excellent performance.
(pood)	Better than average u	nderstanding of the	e concepts and the principles as demo	onstrated by correct and accurate knowledge and
(Sood)	application of theory	laws in solving pro	blems, but doesn't have the denth an	d outstanding quality of an "A". Response to problems
	is fairly clear. legible	e, but occasionally of	contains some inaccuracies. Performa	ance exceeds the minimum requirements
С	C+:63-65 C:59-62	. C-: 56-58		
(average)	An average understar	nding of the concer	ts and the principles as demonstrated	by reasonably correct knowledge and application of
(a.e.age)	theory/laws in solvin	g problems, but do	esn't have any depth. Response to pro-	oblems is reasonably clear, legible, but contains
	inaccuracies. It revea	ils a sufficient unde	rstanding of the material. but lacks d	lepth in understanding and approach/application.
	Content and form do	n't go beyond basic	expectations and/or display some su	bstantial errors. Acceptable but non-exceptional
	performance that doe	esn't go beyond the	minimum requirements.	r en enceptional
D	D+:53-55 . D:50-52		· · · · · · · · · · · · · · · · · · ·	
(barely sufficient)	Minimal knowledge	and barely sufficier	t understanding of the concepts and	the principles as demonstrated by approximately
	correct application of	f theory/laws in solv	ving problems. Response to problem	s is not very clear and is barely legible. and contains
	many inaccuracies It	t reveals a minimum	n (confused) understanding of the ma	aterial, and lacks depth in understanding and
	approach/application	. Content and form	do not adequately meet the basic exit	pectations, and/or display significant errors
	Performance demons	strates severe proble	ems in one or more areas	permising, and or display significant citors.
n.	35_40	suales severe proble	mone or more areas.	
(fail)	Unsatisfactory progr	ess in understandin	of the concent and principles upon	tisfactory knowledge of the theoretical part of and
(iaii)	insufficient skills in a	solving problems	5 or the concept and principles, ullsa	usiactory knowledge of the incoretical part of and
Б	mournerent skills III s	sorving problems.		
[(foil)	Work does not meet	the most minimal s	tandards. It reveals no understanding	of the material, lack of basic academic skills and
(ran)	knowledge, or compl	letely incomprehens	sible writing. Performance is not acc	eptable
NC	May be given the -t-	dants not attand	alassas and or avaminations	
NG	way be given the stu	idents not attending	classes and or examinations	

This course is related with courses such as Abstract Algebra, Functional Analysis, and Differential Equations.

LEARNING / TEACHING METHOD

Lectures and assignments ASSIGNMENTS None

METHOD OF ASSESSMENT

Course Grade will be computed as follows:

1. Midterm Exam 1 % 35

2. Quizes % 25

3. Final Exam % 40

IMPORTANT NOTICE

- Attendance is compulsory. Any student who has less than 60% attendance and/or after the make-up examinations, still has more than one unattended exam(s) will be given NG grade.
- Students missing an examination should provide a valid excuse within three days following the examination they missed.
- The Midterm 1 and Midterm 2 make-ups will be on same date and at same time. Therefore the student is advised to take only one make-up. The make-up for the final exam and the Re-sit exam will cover all topics from week 1-15.

ATTENDANCE

Attendance to the classes is compulsory. Students who attend the classes including lectures, lab, quiz and exams less than 60% will received NG grade.

TEXTBOOK/S

Howard Anton, Chris Rorres, Elementary Linear Algebra, 7th Ed, by, John Wiley & Sons, Inc.

INDICATIVE BASIC READING LIST NONE EXTENDED READING LIST

NONE

SEMESTER OFFERRED

2018-2019 Spring Semester			
CONTENT & SCHEDULE			
WEEK	TOPICS		
1 (18.2.2019-22.2.2019)	1.1 Matrices and Matrix Operations		
2 (25.2.2019-1.3.2019)	1.2 Introduction to Systems of Linear Equations 1.3 Gaussian Elimination		
3 (4.3.2019-8.3.2019)	1.4 Inverses; Rules of Matrix Arithmetic 1.5 Elementary Matrices and a Method for Finding A ⁻¹		
4 (11.3.2019-15.3.2019)	1.6 Further Results on Systems of Equations and Invertibility 1.7 Diagonal, Triangular and Symmetric Matrices		
5 (18.3.2019-22.3.2019)	Chapter 2 2.1 The Determinant Function 2.2 Evaluating Determinants by Row Reduction		
6 (25.3.2019-29.3.2019)	2.3 Properties of the Determinant Function		
7 (1.4.2019-5.4.2019)	 2.4 Cofactor Expansion; Cramer's Rule Chapter 4 4.1 Euclidean <i>n</i>-Space 4.2 Linear Transformations from <i>Rⁿ</i> to <i>R^m</i> 4.3 Properties of Linear Transformations from <i>Rⁿ</i> to <i>R^m</i> 		
8-9 (11.4.2019-22.4.2019)	Midterm Examinations		
10 (24.4.2019-26.4.2019)	Chapter 5 5.1 Real Vector Spaces 5.2 Subspaces		
11 (29.4.2019-3.5.2019)	5.3 Linear Independence 5.4 Basis and Dimension		
12 (6.5.2019-10.5.2019)	.5.2019) 5.5 Row Space, Column Space and Nullspace 5.6 Rank and Nullity		
13 (13.5.2019-17.5.2019)	Chapter 6 6.1 Inner Products 6.2 Angle and Orthogonality in Inner Product Spaces		
14 (20.5.2019-24.5.2019)	6.3 Orthonormal Bases; Gram-Schmidt Process Chapter 7 7.1 Eigenvalues, Eigenvectors		
15 (27.5.2019-31.5.2019)	7.2 Diagonalization		
17-18 (10.6.2019-22.6.2019)	Final Examinations		
28.6.2019-30.6.2019	Online Application for Resit Examinations		
3.7.2019-9.7.2019	Resit Examinations		

PLAGIARISM

This is intentionally failing to give credit to sources used in writing regardless of whether they are published or unpublished. Plagiarism (which also includes any kind of cheating in exams) is a disciplinary offence and will be dealt with accordingly.)

PLEASE KEEP THIS COURSE SYLLABUS FOR FUTURE REFERENCE AS IT CONTAINS IMPORTANT INFORMATION