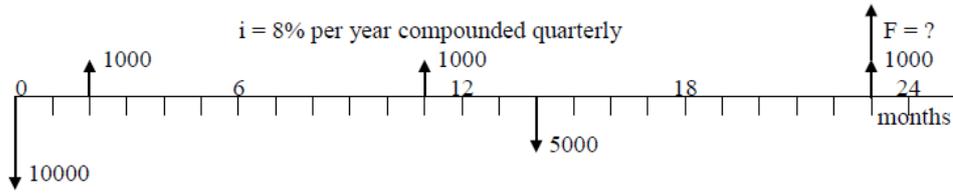
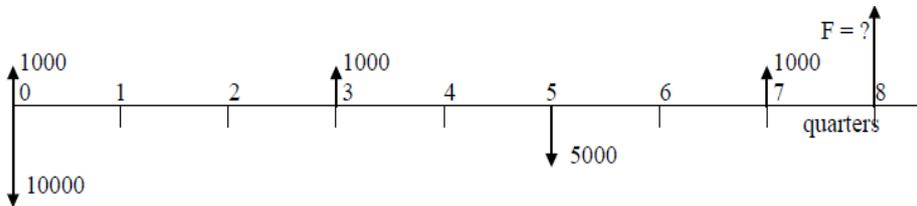


1) I deposit \$10000 into my account which pays interest at 8% per year, compounded quarterly. If I withdraw \$1000 in months 2, 11, and 23 from now, and make an additional deposit of \$5000 in month 14 from now, how much would I have in my account at the end of two years? Assume no inter-period compounding.



Since no inter-period compounding, cash flow modifies to the following with the interest rate at 2% per quarter. Move \$1000 withdrawal in month 2 to time 0. Move \$1,000 withdrawal in month 11 to month 9 (quarter 3). Move \$1000 withdrawal in month 23 to month 21 (quarter 7). Move \$5000 deposit in month 14 to month 15 (quarter 5).



$$F = (10,000 - 1000)(F/P, 2\%, 8) - 1000(F/P, 2\%, 5) - 1000(F/P, 2\%, 1) + 5000(F/P, 2\%, 3)$$

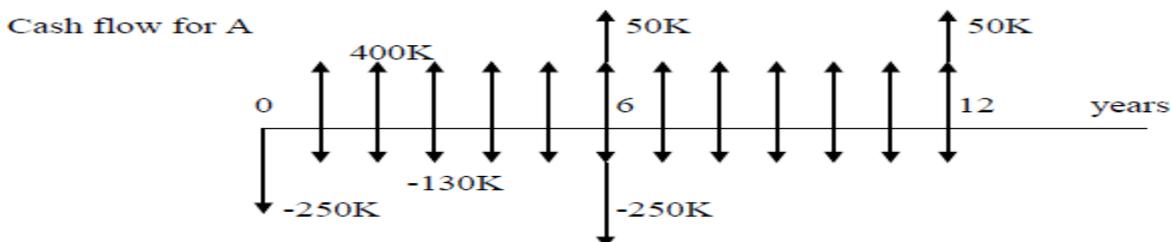
$$= 9000(1.1717) - 1000(1.1041) - 1000(1.0200) + 5000(1.0612) = \$13727.2$$

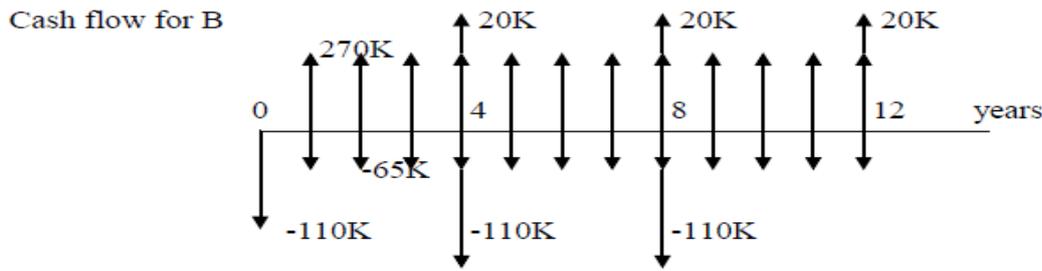
2- a) Which of the following alternatives should be chosen if MARR is %18 per year.

	A (\$)	B(\$)
First cost	-250,000	- 110,000
Annual operating cost	-130,000	- 65,000
Annual revenues	400,000	270,000
Salvage value	50,000	20,000
Life	6	4

b) If the projects are independent, what will be your decision?

We have different lives for the alternatives. Comparison must be made over the same period, i.e. LCM of years since a study period is not stated. For these alternatives LCM = 12. Therefore, cash flows must be extended to 12 years by assuming that costs and revenues of Project A is repeated for another cycle (total of two cycles) and of Project B, another two cycles (total of three cycles). The resultant cash flows are as follows:





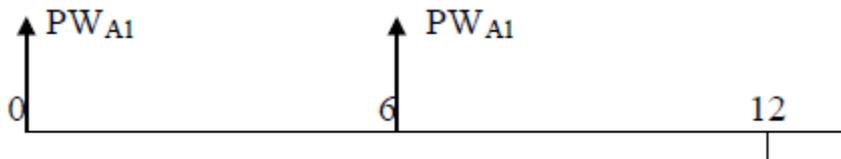
$$PW_A = -250000 - 250000(P/F, 18\%, 6) + (400000 - 130000)(P/A, 18\%, 12) + 50000(P/F, 18\%, 6) + 50000(P/F, 18\%, 12) = 976944$$

$$PW_B = -110000 - 110000(P/F, 18\%, 4) - 110000(P/F, 18\%, 8) + (270000 - 65000)(P/A, 18\%, 12) + 20000(P/F, 18\%, 4) + 20000(P/F, 18\%, 8) + 20000(P/F, 18\%, 12) = 804988$$

We select A as its PW is larger.

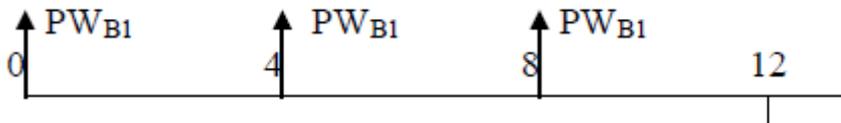
The solution can also be reached by the following method:

If we calculate the PW of each project for one cycle only, the cash flows reduce to:



Cash flow diagram for A where PW_{A1} is the PW of one cycle only given by,

$$PW_{A1} = -250000 + (400000 - 130000)(P/A, 18\%, 6) + 50000(P/F, 18\%, 6) = 712873.5$$



Cash flow diagram for B where PW_{B1} is the PW of one cycle only given by,

$$PW_{B1} = -110000 + (270000 - 65000)(P/A, 18\%, 4) + 20000(P/F, 18\%, 4) = 451786$$

Then,

$$PW_A = PW_{A1} [1 + (P/F, 18\%, 6)] = 712873.5(1 + 0.37043) = 976943$$

$$PW_B = PW_{B1} [1 + (P/F, 18\%, 4) + (P/F, 18\%, 8)] = 451786(1 + 0.5158 + 0.2660) = 804992$$

We have the same result.

(b) If projects are independent, we select both as their $PW > 0$.

3- Company X is considering the Projects that have the following costs:

	Project A	Project B
First cost	\$15000	\$18000
Annual Operating Costs	3500	3100
Salvage Value	1000	2000
Life, years	6	9

Using a MARR value of 15% per year, determine which alternative should be selected on the basis of a present-worth analysis.

Evaluation is to be carried out over 18 (LCM) years since a study period is not given.

$$PW_A = -15000[1 + (P/F,15\%,6) + (P/F,15\%,12)] + 1000[(P/F,15\%,6) + (P/F,15\%,12) + (P/F,15\%,18)] - 3500(P/A,15\%,18) = -45036$$

$$PW_B = -18000[1 + (P/F,15\%,9)] + 2000[(P/F,15\%,9) + (P/F,15\%,18)] - 3100(P/A,15\%,18) = -41384$$

Select B as its PW is numerically larger.