

## CMPE 534 Automated Deduction

**Department:** Computer Engineering

### Instructor Information

**Name:** Assoc. Prof. Zeki Bayram

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### Assistant Information

No assistant.

### Meeting times and places

Tuesday 12:30- 13:20, Room CMPE 129

Thursday 10:30 – 12:20, Room CMPE 129

**Program Name:** Computer Engineering

**Program Code:** 25

**Course Code**

CMPE 534

**Credits**

3

**Year/Semester**

2019-2020 Fall

### Prerequisite(s)

Graduate standing.

### Specialization Categories (For the Ph.D. qualifying Exam)

B3 – INFORMATION SYSTEMS

### Catalog Description

This course is about automatically (and mechanically) proving theorems in first order predicate calculus. Introduction to propositional logic, predicate calculus and proof methods. Herbrand's theorem. The resolution principle (in its various forms) as the theoretical background for the programming language Prolog. Paramodulation, term rewriting systems and e-unification under equational logic. Applications of automated reasoning.

### Course Web Page

<https://staff.emu.edu.tr/zekibayram/en>

### Textbook

Jean H. Gallier. "Logic For Computer Science, Foundations of Automatic Theorem Proving". John Wiley & Sons, 2003 (Second Edition, copyright Jean H. Gallier) ( Available by the author at <ftp://ftp.cis.upenn.edu/pub/papers/gallier/logic.pdf.gz>)

### Reference books

Chin-Liang Chang, Richard Char-Tung Lee. "Symbolic Logic and Mechanical Theorem Proving". Academic Press, 1973

Rolf Socher-Abbrosius, Patricia Johann. "Deduction Systems". Springer Verlag, 1996

M. Ben Ari. "Mathematical Logic for Computer Science", Prentice Hall, 1993

**Topics Covered and Class Schedule**  
(3 hours of lectures per week)

<b>Week 1</b>	Overview of Automated Deduction
<b>Week 2</b>	Syntax and semantics of Propositional Logic
<b>Week 3</b>	Proof Theory of Propositional Logic: The Gentzen System G
<b>Week 4</b>	Proof Theory for Infinite Sequents
<b>Week 5</b>	Programming in Flora-2
<b>Week 6</b>	The Resolution Method for Propositional Logic
<b>Week 7</b>	First-Order languages - syntax and semantics
<b>Week 8</b>	Proof Theory of First-Order Languages
<b>Week 9</b>	Negation Normal Form, Prenex Normal Form
<b>Week 10</b>	Herbrand's Theorem for Prenex Formulae
<b>Week 11</b>	Resolution Method for First-order Logic
<b>Week 12</b>	SLD-Resolution and Prolog
<b>Week 13</b>	Review

**Course Learning Outcomes**

Upon successful completion of the course, students are expected to have the following competencies:

- (1) Write syntactically correct propositional and first order formulas to describe a situation
- (2) Prove validity of formulas in propositional logic using the truth table method
- (3) Prove validity of formulas in propositional logic using Gentzen Systems
- (4) Prove validity of formulas in propositional logic using resolution
- (5) Prove validity of formulas in first-order logic using Gentzen Systems
- (6) Prove validity of formulas in first-order logic using resolution
- (7) Write simple theorem provers in FLORA-2
- (8) Draw resolution trees

Assessment	Method	No	Percentage
	Midterm Exam(s)	1	40%
	Final Examination	1	45%
	Project	1	15%

**Policy on makeups:** For eligibility to take a makeup exam, the student should bring a doctor's report within 3 working days of the missed exam.

**Policy on cheating and plagiarism:** Any student caught cheating at the exams or assignments will automatically fail the course and may be sent to the disciplinary committee at the discretion of the instructor.

**Prepared by:** Assoc. Prof. Dr. Zeki Bayram

**Date Prepared:** 23 September 2019