# EASTERN MEDITERRANEAN UNIVERSITY <br> FACULTY OF ARTS AND SCIENCES DEPARTMENT OF MATHEMATICS 

## 2015-2016 SPRINGSEMESTER

COURSE CODE COURSE TITLE COURSE TYPE LECTURER(S)

ASSISTANT(S)

EMU CREDITS
ECTS CREDITS
PREREQUISITES
COREQUISITES
WEB LINK
TEXTBOOK

REFERENCES

AIM \& OBJECTIVES

## CATALOGUE DESCRIPTION

## GRADING CRITERIA

## RELATION TO OTHER COURSES

MATH241
Ordinary Differential Equations and Linear Algebra
University Core (UC)
Group 1 Mohammad MOMENZADEH
Group 2 Fatma B. RIZANER
Group 3 Sinem UNUL

Group 1 Kanda ABUASSBA
Group 2 Ceren USTAOĞLU
Group 3 Muath AWADALLA
$(4,0,1) 4$
6
Math151 Calculus I
None
http://brahms.emu.edu.tr/fbayramoglu
Stephen W. Goode \& Scott A. Annin, Differential Equations and Linear Algebra, (3 ${ }^{\text {rd }}$ edition), Prentice Hall, 2007.
Stephen W. Goode, Differential Equations and Linear Algebra, (2 $2^{\text {nd }}$ edition), Prentice Hall, 2002.

Steven J. Leon, Linear Algebra with Application, Pearson Education, 2006.
S. Alpay \& A. Erkip, Ordinary Differential Equations, METU, 1992.
H. Anton \& C. Rorres, Elementary Linear Algebra (Applications version), Wiley, 1994. Shepley L. Ross, Introduction to Ordinary Differential Equations, Wiley, 1989.

There are two objectives of this course: the first, to understand the basic concepts and skills of linear algebra which are required for simple applications in science and engineering problems, and the second, to learn some elementary methods for solving first and secondorder differential equations, and apply linear algebra to solve first-order systems of linear differential equations.

Systems of linear equations, elementary row operations, echelon form, Gaussian elimination method; Matrices; Determinants, adjoint and inverse matrices, Cramer's rule; Vector spaces, linear independence, bases and dimension, eigenvalue problem. First-order differential equations, separable differential equations, change of variables, exact differential equations; Second-order differential equations, the method of undetermined coefficients, the variation of parameters method; General results of first-order linear systems, homogeneous constant coefficient vector differential equations, variations of parameters for linear systems; Laplace transform method.
Midterm Exam 1 : 30\%
Quiz : 10\%
Midterm Exam $2 \quad: 25 \%$
Final Exam :35\%
This course is based on Calculus I and plays an important role in courses which need concepts and skills in linear algebra and differential equations for solutions of certain engineering problems. Taking Calculus II at the same has advantage in understanding how to solve certain types of differential equations.

COURSE OUTLINE

Remarks: Section numbers and subsection topics are all from the textbook. Materials in the course outline which are not in the textbook will be given to students as hand-outs before the class. Any subsection topic not listed in this outline will not be taught in class, and will not be included in examinations

## GENERAL LEARNING OUTCOMES

On succesful completion of the course, the students should be able to:

- Understand the applications of Matrices
- Gain basic skills to solve systems of linear equations
- Understand the concepts of vector space, subspace, linear independence
- Solve eigenvalue/eigenvector problems
- Solve the first and the second-order linear differential equations
- Understand the use of Laplace transforms in solving differential equations
- Solve systems of first-order linear differential equations
- Realize how to use matrices and differential equations in solving engineering problems

| Week 1 | 2 hours | First meeting to understand the course description Chapter 2 Matrices and Systems of Linear Equations <br> 2.1 Matrices: definitions and notations <br> 2.2 Matrix algebra |
| :---: | :---: | :---: |
| Week 2 | 4 hours | 2.3 Terminology and notation for systems of linear equations 2.4 Elementary row operations and row echelon matrices <br> 2.5 Gaussian and Gauss-Jordan Elimination Method <br> 2.6 The inverse of a square matrix |
| Week 3 | 4 hours | Chapter 3 Determinants <br> 3.1 The definition of a determinant <br> 3.2 Properties of determinants <br> 3.3 Cofactor expansions <br> 3.4 Evaluating Determinants using Elementary Row Operations <br> 3.5 Cramer's Rule <br> 3.6 Inverse Matrix using Adjoint Matrix <br> Chapter 4 Vector Spaces <br> 4.1 Vectors in $R^{\wedge} n$ <br> 4.2 Definition of a vector space |
| Week 4 | 4 hours | 4.3 Subspaces <br> 4.4 Spanning sets <br> 4.5 Linear dependence and linear independence |
| Week 5 | 4 hours | 4.6 Bases and dimension, Basis of the Rowspace and Columnspace <br> 4.9 The rank-nullity theorem |
| Week 6 | 4 hours | Chapter 5 The Eigenvalue and Eigenvectors <br> 5.6 The eigenvalue/eigenvector problem <br> 5.7 General results for eigenvalues and eigenvectors <br> 5.8 Diagonalization <br> 5.9 Linear Transformation |
| Week 7 | 31 March 2016 | Quiz I |
| Weeks 7,8 \& 9 | 8 April 2016-20 April 2016 | MIDTERM EXAMINATION1 PERIOD |
| Week 10 | 4 hours | Chapter 1 First-Order Differential Equations 1.2 Basic Ideas and Terminology <br> 1.4 Separable differential equations <br> 1.6 First-order linear differential equations |
| Week 11 | 4 hours | 1.8 Change of Variables (Bernoulli) <br> 1.9 Exact Differential equations <br> Chapter 6 Linear Differential Equations of Order $n$ <br> 6.1 General theory for linear differential equations <br> 6.2 Constant-coefficient homogeneous linear differential equations |
| Week 12 | 17 May 2016 at 16.30 | MIDTERM EXAMINATION2 |
| Week 12 | 4 hours | 6.3 The method of undetermined coefficients 6.7 The Variation of Parameters Method |
| Week 13 | 4 hours | 6.8 A differential equation with nonconstant coefficients 6.9 Reduction of order |
| Week 13 | 4 hours | Chapter 8 The Laplace transform method |
| Week 14 | 4 hours | The inverse transform Laplace transform solution of linear differential equations with constant coefficients |
| Weeks 15-16-17 | (May 31-June 15, 2016) | FINAL EXAMINATIONS PERIOD |
| Week 18 | (June 22-24, 2016) | Online Application Period for RESIT Examinations |
| Weeks 19-20 | (June 27-July 2, 2016) | RE-SIT EXAMINATIONS PERIOD |

## ACADEMIC HONESTY

Copying from others or providing answers or information (written or oral) to others is cheating. Copying from another student's paper or from another text without written acknowledgement is plagiarism. According to University's bylaws cheating and plagiarism are serious offences resulting in a failure from exam or project and disciplinary action (which includes an official warning or/and suspension from the university for up to one semester).

## IMPORTANT NOTES

- Attendance to the classes is compulsory. All students who receive a failing final grade and attend the classes less than $50 \%$ will receive the grade NG.
- It is compulsory to show student identification card to attend examinations. Those who cannot show identification card will not be allowed to attend the examination.
- Students are obligated to attend the examinations in the scheduled room. They will not be allowed to attend the examination in a room which is not scheduled for them.
- Students may check their examination papers within a pre-announced period of time. Information about this matter will be given in the instructions of each examination.
- A student missing an examination has to provide a valid excuse within three days following the examination he/she missed so as to have permission for the make-up for the missed exam.
- Final exam make-up will be consider as RE-SiT exam.

